## CAP 5510: Introduction to Bioinformatics

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## Microarray Data

| Gene | Expression Levels |  |
| :---: | :---: | :---: |
|  | Sample A <br> CONTROL | Sample B <br> TREATMENT |
| Gene1 |  |  |
| Gene2 |  |  |
| Gene3 |  |  |
| $\ldots$ |  |  |

## Microarray Analysis

IIs Gene $X$ upregulated? Downregulated? Had no change in expression levels?

- Genes are represented by probes
- Experiments may have repeats
-NULL HYPOTHESIS
- There is no change in gene expression levels for Gene $X$ between Control and Treatment


## Accept/Reject $\mathrm{H}_{0}$ (Null Hypothesis)?

$\square P$-value thresholds

- $P$-value is probability of data assuming $\mathrm{H}_{0}$ holds
- P-value threshold of 0.05 means probability of error when $H_{0}$ is rejected is $5 \%$
$\square$ Fold change
- If no repeats are done

口t-Test

- Parametric
- Non-parametric
- Wilcoxon rank sum


## Hypothesis Testing Logic

|  |  | Hypothesis Choice |  |
| :---: | :---: | :---: | :---: |
|  |  | H0 | H1 |
| Decision | H0 | Correctly Accept (TN) | Type II Error (FN) <br> $\beta$ |
|  | H1 | Type I Error (FP) <br> $\alpha$ | Correctly Reject (TP) |

## -Typical Values:

- Type I error of 0.05
- Type II error of 0.2


## Problem with Hypothesis Testing

DNot testing just one gene
$\square$ If multiple genes are tested, then t-Test assumes each test is independent
$\square$ Are the tests independent?

- No!
$\square$ Need Correction
- P-values need to be adjusted
- Bonferroni or other correction methods needed
- Achieved by controlling Type I error


## Multiple Testing \& Type I Errors

$\square$ Type I Error of 0.05 means that there is a $5 \%$ error in prediction of FN by $\dagger$-Test. IMPLICATIONS?

- If $\mathrm{N}=1000$ genes \& $\mathrm{d}=40$ are differentially expressed (DE), then ...
$>960 \times 0.05=48 \mathrm{FPs}$
> There are more FPs than TPs
$>$ Type I error and correcting for multiple hypothesis testing are connected


## Multiple Test Corrections

$\square$ Bonferroni correction

- Use type I error $=a / g=$ FWER $=0.05 / 1000$
> Family-wise Error (FWER)
$>$ Too Conservative! Also reduce true positives!
$\square$ Other less conservative corrections possible
- Sidak correction, Westfall-Young correction, ...
-Using False Discovery Rate (FDR) [Benjamini \& Hochberg '95, Storey '02 \& '03]
- Earlier: 5\% of all tests will result in FPs
- With FDR adjusted p-value (or $q$-value): $5 \%$ of significant tests will result in false positives.

| Rank | Anova (p) | q Value | - Power | Cluster |
| :---: | :---: | :---: | :---: | :---: |
| 30 | 0.00436 | 0.0119 | 0.993 | ( |
| 77 | 0.00536 | 0.0119 | 0.987 | - |
| 97 | 0.00631 | 0.0119 | 0.98 | C |
| 29 | 0.00655 | 0.0119 | 0.979 |  |
| 43 | 0.00605 | 0.0119 | 0.982 | ( |
| 23 | 0.0067 | 0.0119 | 0.977 | Q |
| 36 | 0.00632 | 0.0119 | 0.98 | C |
| 28 | 0.00698 | 0.0119 | 0.975 | , |
| 76 | 0.00685 | 0.0119 | 0.976 | - |
| 60 | 0.0067 | 0.0119 | 0.977 | C |
| 10 | 0.00479 | 0.0119 | 0.991 |  |
| 13 | 0.00467 | 0.0119 | 0.991 | 0 |
| 51 | 0.00432 | 0.0119 | 0.993 | 0 |
| 91 | 0.0062 | 0.0119 | 0.981 | (0) |
| 21 | 0.00611 | 0.0119 | 0.982 |  |
| 46 | 0.00414 | 0.0119 | 0.994 | 0 |
| 45 | 0.00739 | 0.0127 | 0.972 | O |
| 25 | 0.00822 | 0.0137 | 0.964 | ( |
| 53 | 0.00903 | 0.0137 | 0.956 |  |
| 6 | 0.00919 | 0.0138 | 0.955 |  |
| 52 | 0.01 | 0.0141 | 0.946 |  |
| 2 | 0.00976 | 0.0141 | 0.949 | 4 |
| 87 | 0.0101 | 0.0141 | 0.946 | 0 |
| 19 | 0.0109 | 0.0141 | 0.938 | O |
| 96 | 0.0102 | 0.0141 | 0.944 | (3) |
| 55 | 0.011 | 0.0141 | 0.937 | Q |
| 50 | 0.00949 | 0.0141 | 0.952 | D |
| 49 | 0.0115 | 0.0144 | 0.931 | ( |
| 32 | 0.0127 | 0.0144 | 0.918 | © |

## $P$-value vs $Q$-value

Consider example shown. Let $\mathrm{N}=839$. Marked item has p-value 0.01 and qvalue 0.0141 . P-value threshold of 0.01 implies a $1 \%$ chance of false positives. Thus, we expect $839 * 0.01=8.39$ FPs. Since item has rank 52, we expect to have 8 or 9 of these to be FPs.
Q-value threshold of 0.0141 implies a $1.41 \%$ of all spots with $q$-value less than this to be FPs. Thus, we expect $52 * 0.0141=0.7332$ FPs, i.e., less than one FP.

